

Name: _____ Hour: _____



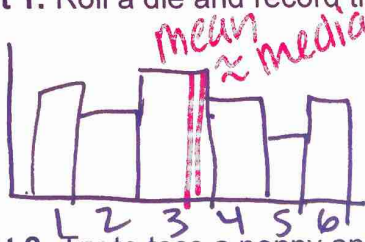
Lesson 2.2: Predicting Shape



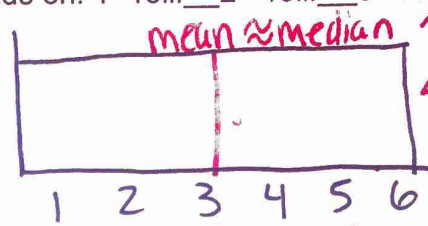
Complete each of the following experiments and submit your answers using the google form. Resubmit your answers for a total of 3 submissions. Predict (sketch) what the graphs of the class data from each experiment will look like if we did this **many many** times. Draw and label lines where you predict the mean and median will be.

Experiment 1: Roll a die and record the value it lands on. 1st roll: ___ 2nd roll: ___ 3rd roll: ___

Prediction:



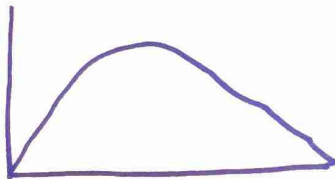
Actual:



Experiment 2: Try to toss a penny and make it land on the target. Measure the distance of the penny from the target in cm. Round to the nearest tenth.

1st Attempt: _____ 2nd Attempt: _____ 3rd Attempt: _____

Prediction:



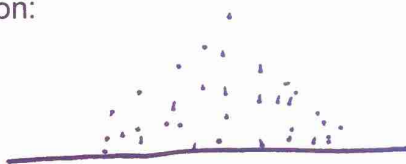
Actual:



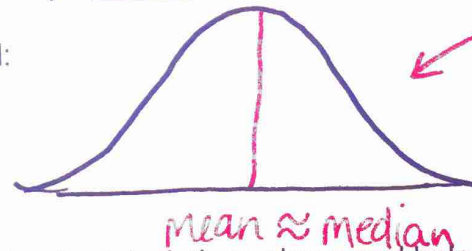
Experiment 3: Try to stop your stopwatch at exactly 5 seconds. Record what the stopwatch reads below. Record to the hundredths place.

1st Attempt: _____ 2nd Attempt: _____ 3rd Attempt: _____

Prediction:



Actual:



Normal Curves: Label the values 1, 2, and 3 standard deviations above and below the mean using the stopwatch data. $\bar{x} \approx \mu = 5$ $s \approx \sigma = 1.39$

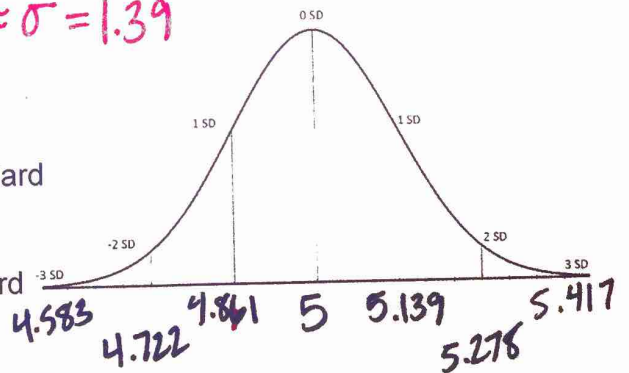
What percentage of the data is within two standard deviations of the mean? **95%**

What percentage of the data is further than two standard deviations from the mean? **5%**

What percentage of the data is greater than 1 standard deviation above the mean? **16%**

What percentage of the data is between $z = -1$ and $z = 1$?

81.5%

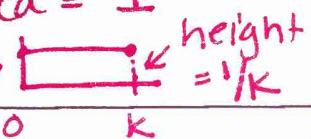


Lesson 2.2 – Density Curves and Normal Distributions


Big Ideas:


LT #1 Density Curves


- Always above x-axis
- Area = 1

Uniform →  height = $1/k$

LT #2

skew right:  med < mean

symmetric:  mean ≈ median

skew left:  med > mean

LT #3

Normal curve

% in area: 15, 34, 34, 13.5, 2.25, .15

$\mu - 3\sigma$ $\mu - 2\sigma$ $\mu - \sigma$ μ $\mu + \sigma$ $\mu + 2\sigma$ $\mu + 3\sigma$

Check Your Understanding:

- An Internet reaction time test asks subjects to click their mouse button as soon as a light flashes on the screen. The light is programmed to go on at a randomly selected time after the subject clicks "Start." The density curve models the amount of time the subject has to wait for the light to flash.

- What height must the density curve have? Justify your answer.

$\frac{1}{4}$ Area = 1 = $\frac{1}{4} \times 4$

- About what percent of the time will the light flash more than 3.75 seconds after the subject clicks "Start"?

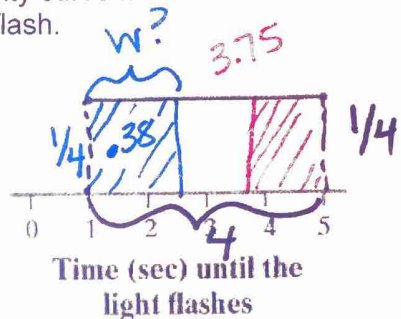
Width = $5 - 3.75 = 1.25$

Area = $1.25 \times \frac{1}{4} = .3125$ 31.25%

- Calculate and interpret the 38th percentile of this distribution.

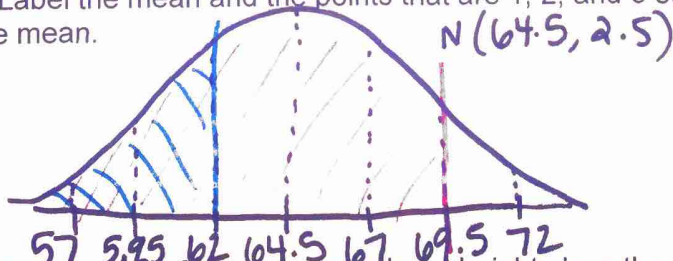
$.38 = \frac{1}{4} \times W$ $W = 1.52 \rightarrow + 1 \text{ second start} = 2.52$

Approx. 38% of the time the flash will go off before 2.52 sec.



- The distribution of heights of young women aged 18 to 24 is approximately Normal with mean $\mu = 64.5$ inches and standard deviation $\sigma = 2.5$ inches.

- Sketch the Normal curve that approximates the distribution of young women's height. Label the mean and the points that are 1, 2, and 3 standard deviations from the mean.



- About what percent of young women have heights less than 69.5 inches? Show your work.

$1 - (.235 + 0.15) = 97.5\%$

OR $0.15 + 2.35 + 13.5 + 34 + 34 + 13.5 = 97.5\%$

- Is a young woman with a height of 62 inches unusually short? Justify your answer.

Not unusually short, 16% of other young women are shorter than her.