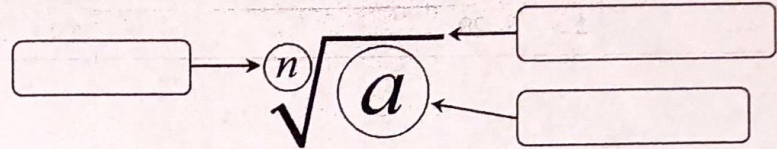


Name: \_\_\_\_\_

Date: \_\_\_\_\_

Topic: \_\_\_\_\_

Class: \_\_\_\_\_

Main Ideas/Questions	Notes/Examples	
<p><b>Parts of a Radical</b></p>	<p>The <math>n^{\text{th}}</math> root of a number, <math>a</math>, can be written as the radical expression <math>\sqrt[n]{a}</math></p>  <p>*If there is <b>no index</b>, it is assumed that _____.</p> <p>If a radical has <b>more than one root</b>, the radical sign indicates only the <b>principal, or positive, root</b>.</p>	
<p><b>Perfect Squares</b></p>	<p><b>List the first 12 perfect squares:</b></p>	
<p><b>Perfect Square Roots</b></p>	<p>1. <math>\sqrt{16}</math></p>	<p>2. <math>2\sqrt{121}</math></p>
	<p>3. <math>6\sqrt{289}</math></p>	<p>4. <math>3\sqrt{400}</math></p>
<p><b>Simplifying Non-Perfect Square Roots</b></p>	<p>① Find the largest perfect square that the radicand is divisible by. Break down the radical using this number.</p> <p>② Take the square root of the perfect square. Take it out of the radical.</p> <p>③ Leave the "leftover" under the radical symbol.</p> <p>5. <math>\sqrt{32}</math></p> <p>6. <math>\sqrt{180}</math></p> <p>7. <math>\sqrt{147}</math></p> <p>8. <math>\sqrt{175}</math></p> <p>9. <math>\sqrt{48}</math></p> <p>10. <math>2\sqrt{54}</math></p>	



	<b>11.</b> $-5\sqrt{150}$	<b>12.</b> $8\sqrt{128}$
	<b>13.</b> $-3\sqrt{28}$	<b>14.</b> $4\sqrt{384}$
<b>Perfect Cubes</b>	<b>List the first 10 perfect cubes:</b>	
<b>Perfect Cube Roots</b>	<b>15.</b> $\sqrt[3]{8}$	<b>16.</b> $5\sqrt[3]{343}$
	<b>17.</b> $\sqrt[3]{-27}$	<b>18.</b> $2\sqrt[3]{-1000}$
<b>Simplifying Non-Perfect Cube Roots</b>	<b>Use the same method to simplify square roots, however, use the perfect cubes to break down the radical.</b>	
	<b>19.</b> $\sqrt[3]{40}$	<b>20.</b> $\sqrt[3]{192}$
	<b>21.</b> $2\sqrt[3]{432}$	<b>22.</b> $-2\sqrt[3]{-250}$
	<b>23.</b> $8\sqrt[3]{-96}$	<b>24.</b> $-3\sqrt[3]{189}$